#### Recurrent Neural Networks



#### Overview

- 1. Modeling sequences
- 2. Recurrent neural networks: An abstraction
- 3. Usage patterns for RNNs
- 4. BiDirectional RNNs
- 5. A concrete example: The Elman RNN
- 6. The vanishing gradient problem
- 7. Long short-term memory units

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- *4. BiDirectional RNNs*
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# Why left to right?

Everything we saw so far models sequences (e.g. words) from left to right

Implicit assumption: If we want to represent a word in a sentence, the words before are useful

Is this right?

# Why left to right?

Everything we saw so far models sequences (e.g. words) from left to right

Implicit assumption: If we want to represent a word in a sentence, the words before are useful

Is this right? Not really

For example: For a sequence labeling task, the words after a target word may also be useful in deciding its label

How do we address this?

# Bidirectional RNNs

[Schuster and Paliwal 1997]

One answer: Maintain two separate RNNs – one forward and one reverse

*Forward*

John ate cake



First, the forward case. We have seen this before.

*Forward*

John ate cake



First, the forward case. We have seen this before.

*Forward*





#### BiRNN: A simple example *Forward*



John ate cake

The forward RNN

#### BiRNN: A simple example *Forward*

John ate cake











*Reverse*

John ate cake





*Reverse*

John ate cake



*Reverse*

John ate cake







## BiRNN: Putting both parts together

John ate cake



## Another way of seeing this

Concatenate to get the representation for the word *John* that accounts for both left and right contexts



## Another way of seeing this

Concatenate to get the representation for the word *ate* that accounts for both left and right contexts



## Another way of seeing this

Concatenate to get the representation for the word *cake* that accounts for both left and right contexts



# A Bidirectional RNN

!" output is defined by

- Two RNNs
	- $-$  Forward, defined by functions  $R^f(\bold{s}^f_{t-1},\bold{x}_t)$  and  $O^f(\bold{s}_t)$
	- $-$  Backward, defined by functions  $R^b({\bf s}^b_{t+1},{\bf x}_t)$  and  $O^b({\bf s}_t$

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- The  $i^{th}$  output is defined by

 $\mathbf{y}_i = \lbrack \mathit{O}^f\big(\mathbf{s}_t^f\big)$ ,  $\mathit{O}^b\big(\mathbf{s}_t^b\big)\rbrack$ 

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• Another way to write this

biRNN( $\mathbf{x}_{1:n}$ , t) = [RNN<sup>f</sup>( $\mathbf{x}_{1:t}$ ), RNN<sup>b</sup>( $\mathbf{x}_{n:t}$ )]

## BiRNNs: Summary

- Allows capturing both left and right contexts
- Commonly used if RNNs are used as a base encoding layer for text – Often stacked
- Specific versions of RNNs give us different BiRNNs
	- BiLSTMs or BiGRUs typically used